

Appendices :

Appendix I : Nomenclature

f_i^M	= activity coefficient of surfactants i in the mixed micelle
f_i^s	= activity coefficient of surfactants i in mixed surface pseudo-phase
α_i	= mole fraction of component i in the total mixed solute
C_1^M, C_2^M, C_{12}^M	= CMC of pure surfactants 1, 2 and the mixture (mol dm^{-3})
C_1^0, C_2^0, C_{12}^0	= concentration of pure surfactants 1, 2 and the mixture at given γ
C_{1m}, C_{2m}	= monomer concentrations of surfactants in the mixed system
$C_1^{0,CMC}, C_2^{0,CMC}$	= molar concentrations of individual surfactants 1 and 2, respectively, required to yield a surface tension equal to γ^{CMC} of any mixture
C_g	= concentration of counterion or gegenion
C_s	= concentration of salt
x^M	= mole fraction of surfactant 1 in the mixed micelle .
x^σ	= mole fraction of surfactant 1 at the monolayer of mixed surfactant (Rosen's model)
x^s	= mole fraction of surfactant 1 in mixed surface pseudo-phase (Holland's model)
γ	= surface tension (mN m^{-1})
γ_0	= surface tension of water (mN m^{-1})
$\gamma_i^{0,CMC}$	= surface tension values at CMC of pure surfactant i
γ_{12}^{CMC}	= surface tension values at CMC of any mixture
K_1, K_2	= slopes of the $\gamma - \ln C$ plots of the individual surfactant 1 and 2 respectively
π	= surface pressure (mN m^{-1})
π^{CMC}	= surface pressure values at CMC
π_i^{\max}	= maximum surface pressures for pure component i
A_i^0	= molar interface areas occupied by surfactants i in pure system
A_i	= partial molar interface areas occupied by surfactants i in mixed system
A_{av}	= average area per surfactant molecule in the mixed monolayer at the interface
Γ_i	= surface excess of component i (mol m^{-2})
Γ_t	= total surface excess
β^M	= molecular interaction parameter for the mixed micelle formation
β^σ	= molecular interaction parameter for the mixed monolayer formation at the interface (Rosen's model)
β^s	= surface interaction parameter (Holland's model)

δ	= additional interaction parameter (Fung's model)
I_1, I_2	= factors accounting for variations for surfactants 1 and 2 (Fung's model)
K_{s1}, K_{s2}, K_s	= counterion binding parameter of surfactants 1, 2 and mixtures
W_{11}, W_{22}, W_{12}	= the energies of interaction between molecules in the pure micelles 1, 2 and in the mixed micelle
w_{12}	= interchange energy per molecule
ΔG^E	= molar excess free energy
q_i	= empirical parameters of the Redlich-Kister expansion
n_i	= molar number of the i th component in the micellar phase
a_i	= activity of the i th species in the solvent phase
N	= Avogadro's number (mol^{-1})
k	= Boltzmann's constant (J K^{-1})
R	= Universal gas constant ($\text{J mol}^{-1} \text{K}^{-1}$)
T	= absolute temperature (K)

Appendix II : Turbo C Programs used to calculate interaction parameter β^M , $\beta^{\sigma E}$ and $\beta^{\sigma R}$

Program AP-01 : Calculation of β^M

Turbo C program used to calculate micellar interaction parameter, β^M . The micellar mole fraction of $[\text{Cu}(\text{C}_{12}\text{tmed})(\text{acac})\text{Cl}]$ in total surfactants concentration is given by $x_1(M)$.

```
//Filename : betam.c
#include<math.h>
main()
{
    int i;
    float a1,a2,cmc1,cmc2,cmix,g1,g2;
    float x1,x2,xm1,xm2,f1,f2,f=0,beta;
    printf("Enter the value of  $\alpha_1$ ,cmc1,cmc2,cmcmix\n");
    scanf("%f,%f,%f,%f",&a1,&cmc1,&cmc2,&cmix);
    a2=1-a1;
    g1=cmix*a1/cmc1;
    g2=cmix*a2/cmc2;
    x1=0;x2=1;
    for(i=1;i<25;i++) {
        xm1=0.5*(x1+x2);
        xm2=1-xm1;
        f1=xm1*xm1*log(g1/xm1);
        f2=xm2*xm2*log(g2/xm2);
        f=f1-f2;
        if (f>0) x1=xm1;
        else if (f<0) x2=xm1;
    }
    beta=log(g1/xm1)/(xm2*xm2);
    printf("Micelle beta, $\beta(M)$ =%f\n",beta);
    printf("Monomer mole fraction of component 1, $x_1(M)$ =%f",x1);
}
```

Program AP-02 : Calculation of $\beta^{\sigma E}$

Turbo C program used to calculate monolayer interaction parameter, $\beta^{\sigma E}$. The monolayer mole fraction of $[\text{Cu}(\text{C}_{12}\text{tmed})(\text{acac})\text{Cl}]$ in total surfactants concentration is given by $x_1(\sigma E)$.

```
//Filename : betase.c
#include<math.h>
main()
{
    int i;
    float a1,a2,c1o,c2o,c12,g1,g2;
    float x1,x2,xm1,xm2,f1,f2,f=0,beta;
    printf("Enter the value of  $\alpha_1$ ,c1o,c2o,c12\n");
    scanf("%f,%f,%f,%f",&a1,&c1o,&c2o,&c12);
    a2=1-a1;
    g1=c12*a1/c1o;
    g2=c12*a2/c2o;
    x1=0;x2=1;
    for(i=1;i<25;i++) {
        xm1=0.5*(x1+x2);
```

```

xm2=1-xm1;
f1=xm1*xm1*log(g1/xm1);
f2=xm2*xm2*log(g2/xm2);
f=f1-f2;
if (f>0) x1=xm1;
else if (f<0) x2=xm1;
}
beta=log(g1/xm1)/(xm2*xm2);
printf("Monolayer beta,β (σE)=%f\n",beta);
printf("Monomer mole fraction of component 1,x1(σE)=%f",x1);
}

```

Program AP-03 : Calculation of $\beta^{\sigma R}$

Turbo C program used to calculate monolayer interaction parameter, $\beta^{\sigma R}$. The monolayer mole fraction of $[\text{Cu}(\text{C}_{12}\text{tmed})(\text{acac})\text{Cl}]$ in total surfactants concentration is given by $x_1(\sigma R)$.

```

//Filename : betasr.c
#include<math.h>
main()
{
    int i;
    float a1,c1o,c2o,c12,g1,g2;
    float o,A1o,A2o,Av,T;
    float x1,x2,xm1,xm2,f1,f2,q=0,f=0,beta;
    printf("Enter the value of α1,c1o,c2o,c12,γ,A1o,A2o,Av,T\n");
    scanf("%f,%f,%f,%f,%f,%f,%f,%f",&a1,&c1o,&c2o,&c12,&o,&A1o,&A2o,&Av,&T);
    q=o*6.023e23/(8.314*(273.15+T));
    g1=a1*c12/c1o;
    g2=(1-a1)*c12/c2o;
    x1=0;x2=1;
    for(i=1;i<25;i++) {
        xm1=0.5*(x1+x2);
        xm2=1-xm1;
        f1=xm1*xm1*(log(g1/xm1)-q*A1o*(1-(Av*6.023e23/(xm1*6.023e23*A1o+
xm2*6.023e23*A2o)))));
        f2=xm2*xm2*(log(g2/xm2)-q*A2o*(1-(Av*6.023e23/(xm1*6.023e23*A1o+
xm2*6.023e23*A2o)))));
        f=f1-f2;
        if (f>0) x1=xm1;
        else if (f<0) x2=xm1;
    }
    beta=((log(g1/xm1))-q*A1o*(1-(Av*6.023e23/(xm1*6.023e23*A1o+
xm2*6.023e23*A2o)))))/(xm2*xm2);
    printf("Monolayer beta,β(σR)=%f\n",beta);
    printf("Monomer mole fraction of component 1,x1(σR)=%f",x1);
}

```

After being compiled with turbo C, three executable files, i.e., betam.exe, betase.exe and betasr.exe were obtained. These files can be run under dos environment.

Example of calculation :

C:\>betam

Enter the value of $\alpha_1, cmc1, cmc2, cmcmix$

0.235676, 1.8109e-4, 1.1739e-3, 3.8894e-5

Micelle beta, $\beta(M) = -10.507990$

Monomer mole fraction of component 1, $x_1(M) = 0.527680$

C:\>betase

Enter the value of $\alpha_1, c1o, c2o, c12$

0.381413, 1.4267e-4, 7.0244e-4, 1.8375e-5

Monolayer beta, $\beta(\sigma E) = -11.410074$

Monomer mole fraction of component 1, $x_1(\sigma E) = 0.541390$

C:\>betasr

Enter the value of $\alpha_1, c1o, c2o, c12, \gamma, A1o, A2o, Av, T$

0.381413, 1.4267e-4, 7.0244e-4, 1.8375e-5, 41e-3, 4.271e-19, 3.538e-19, 1.784e-19, 20.0

Monolayer beta, $\beta(\sigma R) = -20.095070$

Monomer mole fraction of component 1, $x_1(\sigma R) = 0.515978$

Appendix III : Flow charts to indicate method of calculating interaction parameter β^M and δ based on Fung's equation

Figure AP-04 : obtain δ_{opt}

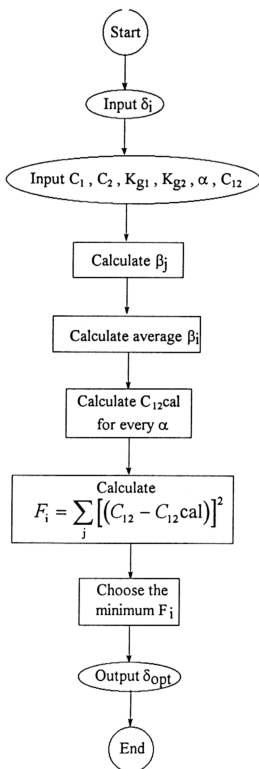
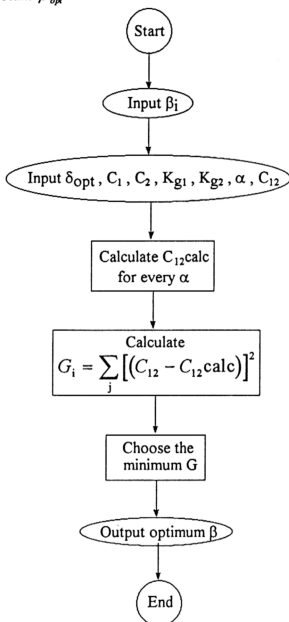


Figure AP-05 : obtain β_{opt} 

Appendix IV : MathCAD 5.0 programs used to calculate interaction parameter β^M and δ based on Fung's equation

Program AP-06 : Calculation of δ_{opt}

Input guess value of δ to obtain minimum SumF

$K_{g1} := 0.71$ $K_{g2} := 0.744$ $C1 := 1.8109 \cdot 10^{-4}$ $C2 := 1.1739 \cdot 10^{-3}$ Input guess value $\rightarrow \delta := 0.6$

$\alpha01 := 0.0898$ $C1201 := 4.5227 \cdot 10^{-5}$ $x01 := 0.02$ $y01 := 0.02$

$\alpha02 := 0.3814$ $C1202 := 3.1011 \cdot 10^{-5}$ $x02 := 0.02$ $y02 := 0.02$

$\alpha03 := 0.6801$ $C1203 := 3.2637 \cdot 10^{-5}$ $x03 := 0.02$ $y03 := 0.02$

$\alpha04 := 0.9080$ $C1204 := 3.7974 \cdot 10^{-5}$ $x04 := 0.02$ $y04 := 0.02$

Given

$$\frac{1}{(1-x01)^2} \cdot \ln \left[\frac{(\alpha01 \cdot C1201)^{1+K_{g1}}}{x01 \cdot C1^{1+K_{g1}}} \right] = \frac{1}{x01^2} \cdot \ln \left[\frac{((1-\alpha01) \cdot C1201)^{1+K_{g2}}}{(1-x01) \cdot C2^{1+K_{g2}}} \right] - \frac{\delta}{2} \quad M01 := \text{find}(x01)$$

$$\beta01 := \frac{1}{(1-(M01))^2} \cdot \ln \left[\frac{(\alpha01 \cdot C1201)^{1+K_{g1}}}{M01 \cdot C1^{1+K_{g1}}} \right] + \frac{\delta}{2} - \delta \cdot (1-M01)$$

Given

$$\frac{1}{(1-x02)^2} \cdot \ln \left[\frac{(\alpha02 \cdot C1202)^{1+K_{g1}}}{x02 \cdot C1^{1+K_{g1}}} \right] = \frac{1}{x02^2} \cdot \ln \left[\frac{((1-\alpha02) \cdot C1202)^{1+K_{g2}}}{(1-x02) \cdot C2^{1+K_{g2}}} \right] - \frac{\delta}{2} \quad M02 := \text{find}(x02)$$

$$\beta02 := \frac{1}{(1-(M02))^2} \cdot \ln \left[\frac{(\alpha02 \cdot C1202)^{1+K_{g1}}}{M02 \cdot C1^{1+K_{g1}}} \right] + \frac{\delta}{2} - \delta \cdot (1-M02)$$

Given

$$\frac{1}{(1-x03)^2} \cdot \ln \left[\frac{(\alpha03 \cdot C1203)^{1+K_{g1}}}{x03 \cdot C1^{1+K_{g1}}} \right] = \frac{1}{x03^2} \cdot \ln \left[\frac{((1-\alpha03) \cdot C1203)^{1+K_{g2}}}{(1-x03) \cdot C2^{1+K_{g2}}} \right] - \frac{\delta}{2} \quad M03 := \text{find}(x03)$$

$$\beta03 := \frac{1}{(1-(M03))^2} \cdot \ln \left[\frac{(\alpha03 \cdot C1203)^{1+K_{g1}}}{M03 \cdot C1^{1+K_{g1}}} \right] + \frac{\delta}{2} - \delta \cdot (1-M03)$$

Given

$$\frac{1}{(1-x04)^2} \cdot \ln \left[\frac{(\alpha04 \cdot C1204)^{1+K_{g1}}}{x04 \cdot C1^{1+K_{g1}}} \right] = \frac{1}{x04^2} \cdot \ln \left[\frac{((1-\alpha04) \cdot C1204)^{1+K_{g2}}}{(1-x04) \cdot C2^{1+K_{g2}}} \right] - \frac{\delta}{2} \quad M04 := \text{find}(x04)$$

$$\beta04 := \frac{1}{(1-(M04))^2} \cdot \ln \left[\frac{(\alpha04 \cdot C1204)^{1+K_{g1}}}{M04 \cdot C1^{1+K_{g1}}} \right] + \frac{\delta}{2} - \delta \cdot (1-M04)$$

$M01 = 0.488$ $\beta01 = -22.0374$

$M02 = 0.557$ $\beta02 = -20.7639$

$M03 = 0.6076$ $\beta03 = -20.0104$

$M04 = 0.6608$ $\beta04 = -20.9584$

$$\text{avg}\beta := \frac{\beta01 + \beta02 + \beta03 + \beta04}{4}$$

$$\text{avg}\beta = -20.9425$$

Given

$$\left[\frac{y01 \cdot C1^{1+Kg1} \cdot \exp \left[(1 - y01)^2 \cdot \left(\text{avg}\beta - \frac{\delta}{2} + \delta \cdot y01 \right) \right]}{\alpha01^{1+Kg1}} \right]^{\frac{1}{1+Kg1}} = \left[\frac{(1 - y01) \cdot C2^{1+Kg2} \cdot \exp [y01^2 \cdot (\text{avg}\beta + \delta \cdot y01)]}{(1 - \alpha01)^{1+Kg2}} \right]^{\frac{1}{1+Kg2}}$$

$$C1201cal := \left[\frac{N01 \cdot C1^{1+Kg1} \cdot \exp \left[(1 - N01)^2 \cdot \left(\text{avg}\beta - \frac{\delta}{2} + \delta \cdot N01 \right) \right]}{\alpha01^{1+Kg1}} \right]^{\frac{1}{1+Kg1}} \quad N01 := \text{find}(y01)$$

$$f01 := C1201 - C1201cal$$

$$F01 := f01^2$$

Given

$$\left[\frac{y02 \cdot C1^{1+Kg1} \cdot \exp \left[(1 - y02)^2 \cdot \left(\text{avg}\beta - \frac{\delta}{2} + \delta \cdot y02 \right) \right]}{\alpha02^{1+Kg1}} \right]^{\frac{1}{1+Kg1}} = \left[\frac{(1 - y02) \cdot C2^{1+Kg2} \cdot \exp [y02^2 \cdot (\text{avg}\beta + \delta \cdot y02)]}{(1 - \alpha02)^{1+Kg2}} \right]^{\frac{1}{1+Kg2}}$$

$$C1202cal := \left[\frac{N02 \cdot C1^{1+Kg1} \cdot \exp \left[(1 - N02)^2 \cdot \left(\text{avg}\beta - \frac{\delta}{2} + \delta \cdot N02 \right) \right]}{\alpha02^{1+Kg1}} \right]^{\frac{1}{1+Kg1}} \quad N02 := \text{find}(y02)$$

$$f02 := C1202 - C1202cal$$

$$F02 := f02^2$$

Given

$$\left[\frac{y03 \cdot C1^{1+Kg1} \cdot \exp \left[(1 - y03)^2 \cdot \left(\text{avg}\beta - \frac{\delta}{2} + \delta \cdot y03 \right) \right]}{\alpha03^{1+Kg1}} \right]^{\frac{1}{1+Kg1}} = \left[\frac{(1 - y03) \cdot C2^{1+Kg2} \cdot \exp [y03^2 \cdot (\text{avg}\beta + \delta \cdot y03)]}{(1 - \alpha03)^{1+Kg2}} \right]^{\frac{1}{1+Kg2}}$$

$$C1203cal := \left[\frac{N03 \cdot C1^{1+Kg1} \cdot \exp \left[(1 - N03)^2 \cdot \left(\text{avg}\beta - \frac{\delta}{2} + \delta \cdot N03 \right) \right]}{\alpha03^{1+Kg1}} \right]^{\frac{1}{1+Kg1}} \quad N03 := \text{find}(y03)$$

$$f03 := C1203 - C1203cal$$

$$F03 := f03^2$$

Given

$$\left[\frac{y04 \cdot C1^{1+Kg1} \cdot \exp \left[(1 - y04)^2 \cdot \left(\text{avg}\beta - \frac{\delta}{2} + \delta \cdot y04 \right) \right]}{\alpha04^{1+Kg1}} \right]^{\frac{1}{1+Kg1}} = \left[\frac{(1 - y04) \cdot C2^{1+Kg2} \cdot \exp [y04^2 \cdot (\text{avg}\beta + \delta \cdot y04)]}{(1 - \alpha04)^{1+Kg2}} \right]^{\frac{1}{1+Kg2}}$$

$$C1204cal := \left[\frac{N04 \cdot C1^{1+Kg1} \cdot \exp \left[(1 - N04)^2 \cdot \left(\text{avg}\beta - \frac{\delta}{2} + \delta \cdot N04 \right) \right]}{\alpha04^{1+Kg1}} \right]^{\frac{1}{1+Kg1}} \quad N04 := \text{find}(y04)$$

$$f04 := C1204 - C1204cal$$

$$F04 := f04^2$$

N01 = 0.4873	C1201cal = $5.287 \cdot 10^{-5}$	f01 = $-7.6432 \cdot 10^{-6}$	F01 = $5.8419 \cdot 10^{-11}$
N02 = 0.5568	C1202cal = $3.0525 \cdot 10^{-5}$	f02 = $4.8639 \cdot 10^{-7}$	F02 = $2.3658 \cdot 10^{-13}$
N03 = 0.6039	C1203cal = $2.9182 \cdot 10^{-5}$	f03 = $3.4551 \cdot 10^{-6}$	F03 = $1.1938 \cdot 10^{-11}$
N04 = 0.6623	C1204cal = $3.9029 \cdot 10^{-5}$	f04 = $-1.0549 \cdot 10^{-6}$	F04 = $1.1128 \cdot 10^{-12}$
SumF := F01 + F02 + F03 + F04			
SumF = $7.1706 \cdot 10^{-11}$			

Program AP-07 : Calculation of β_{opt}

Input guess value of β_{opt} to obtain minimum SumG

$$K_{g1} := 0.71 \quad K_{g2} := 0.744 \quad C1 := 1.8109 \cdot 10^{-4} \quad C2 := 1.1739 \cdot 10^{-3}$$

$$\alpha_{01} := 0.0898 \quad C1201 := 4.5227 \cdot 10^{-5} \quad z_{01} := 0.02$$

$$\alpha_{02} := 0.3814 \quad C1202 := 3.1011 \cdot 10^{-5} \quad z_{02} := 0.02$$

$$\alpha_{03} := 0.6801 \quad C1203 := 3.2637 \cdot 10^{-5} \quad z_{03} := 0.02$$

$$\alpha_{04} := 0.9080 \quad C1204 := 3.7974 \cdot 10^{-5} \quad z_{04} := 0.02$$

$$\delta := 0.6 \quad \text{Input guess value} \rightarrow \beta_{opt} := -21.348$$

Given

$$\left[\frac{z_{01} \cdot C1^{1+K_{g1}} \cdot \exp \left[(1 - z_{01})^2 \cdot \left(\beta_{opt} - \frac{\delta}{2} + \delta \cdot z_{01} \right) \right]}{\alpha_{01}^{1+K_{g1}}} \right]^{\frac{1}{1+K_{g1}}} = \left[\frac{(1 - z_{01}) \cdot C2^{1+K_{g2}} \cdot \exp [z_{01}^2 \cdot (\beta_{opt} + \delta \cdot z_{01})]}{(1 - \alpha_{01})^{1+K_{g2}}} \right]^{\frac{1}{1+K_{g2}}}$$

$$C1201_{calc} := \left[\frac{O01 \cdot C1^{1+K_{g1}} \cdot \exp \left[(1 - O01)^2 \cdot \left(\beta_{opt} - \frac{\delta}{2} + \delta \cdot O01 \right) \right]}{\alpha_{01}^{1+K_{g1}}} \right]^{\frac{1}{1+K_{g1}}} \quad O01 := \text{find}(z_{01})$$

$$g_{01} := C1201 - C1201_{calc}$$

$$G01 := g_{01}^2$$

Given

$$\left[\frac{z_{02} \cdot C1^{1+K_{g1}} \cdot \exp \left[(1 - z_{02})^2 \cdot \left(\beta_{opt} - \frac{\delta}{2} + \delta \cdot z_{02} \right) \right]}{\alpha_{02}^{1+K_{g1}}} \right]^{\frac{1}{1+K_{g1}}} = \left[\frac{(1 - z_{02}) \cdot C2^{1+K_{g2}} \cdot \exp [z_{02}^2 \cdot (\beta_{opt} + \delta \cdot z_{02})]}{(1 - \alpha_{02})^{1+K_{g2}}} \right]^{\frac{1}{1+K_{g2}}}$$

$$C1202_{calc} := \left[\frac{O02 \cdot C1^{1+K_{g1}} \cdot \exp \left[(1 - O02)^2 \cdot \left(\beta_{opt} - \frac{\delta}{2} + \delta \cdot O02 \right) \right]}{\alpha_{02}^{1+K_{g1}}} \right]^{\frac{1}{1+K_{g1}}} \quad O02 := \text{find}(z_{02})$$

$$g_{02} := C1202 - C1202_{calc}$$

$$G02 := g_{02}^2$$

Given

$$\left[\frac{z_{03} \cdot C1^{1+K_{g1}} \cdot \exp \left[(1 - z_{03})^2 \cdot \left(\beta_{opt} - \frac{\delta}{2} + \delta \cdot z_{03} \right) \right]}{\alpha_{03}^{1+K_{g1}}} \right]^{\frac{1}{1+K_{g1}}} = \left[\frac{(1 - z_{03}) \cdot C2^{1+K_{g2}} \cdot \exp [z_{03}^2 \cdot (\beta_{opt} + \delta \cdot z_{03})]}{(1 - \alpha_{03})^{1+K_{g2}}} \right]^{\frac{1}{1+K_{g2}}}$$

$$C1203_{calc} := \left[\frac{O03 \cdot C1^{1+K_{g1}} \cdot \exp \left[(1 - O03)^2 \cdot \left(\beta_{opt} - \frac{\delta}{2} + \delta \cdot O03 \right) \right]}{\alpha_{03}^{1+K_{g1}}} \right]^{\frac{1}{1+K_{g1}}} \quad O03 := \text{find}(z_{03})$$

$$g_{03} := C1203 - C1203_{calc}$$

$$G03 := g_{03}^2$$

Given

$$\left[\frac{z04 \cdot C1^{1+Kg1} \cdot \exp \left[(1 - z04)^2 \cdot \left(\text{opt}\beta - \frac{\delta}{2} + \delta \cdot z04 \right) \right]}{\alpha04^{1+Kg1}} \right]^{\frac{1}{1+Kg1}} = \left[\frac{(1 - z04) \cdot C2^{1+Kg2} \cdot \exp \left[z04^2 \cdot (\text{opt}\beta + \delta \cdot z04) \right]}{(1 - \alpha04)^{1+Kg2}} \right]^{\frac{1}{1+Kg2}}$$

$$C1204calc := \left[\frac{O04 \cdot C1^{1+Kg1} \cdot \exp \left[(1 - O04)^2 \cdot \left(\text{opt}\beta - \frac{\delta}{2} + \delta \cdot O04 \right) \right]}{\alpha04^{1+Kg1}} \right]^{\frac{1}{1+Kg1}} \quad O04 := \text{find}(z04)$$

$$g04 := C1204 - C1204calc$$

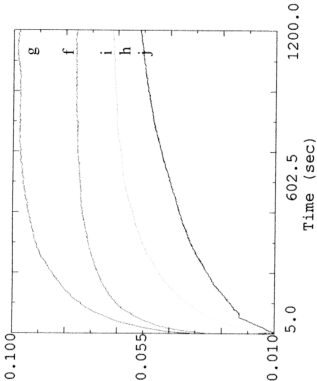
$$G04 := g04^2$$

O01 = 0.4875	C1201calc = 4.9861 · 10 ⁻⁵	g01 = -4.6341 · 10 ⁻⁶	G01 = 2.1475 · 10 ⁻¹¹
O02 = 0.5558	C1202calc = 2.8799 · 10 ⁻⁵	g02 = 2.2117 · 10 ⁻⁶	G02 = 4.8915 · 10 ⁻¹²
O03 = 0.6021	C1203calc = 2.7576 · 10 ⁻⁵	g03 = 5.0614 · 10 ⁻⁶	G03 = 2.5618 · 10 ⁻¹¹
O04 = 0.6595	C1204calc = 3.7006 · 10 ⁻⁵	g04 = 9.6808 · 10 ⁻⁷	G04 = 9.3718 · 10 ⁻¹³

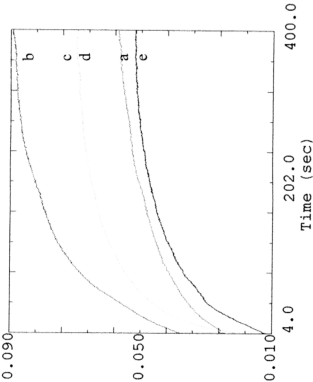
$$\text{SumG} := G01 + G02 + G03 + G04$$

$$\text{SumG} = 5.2921 \cdot 10^{-11}$$

Appendix V : Time Course Spectra of the autooxidation of 3,5-di-*tert*-butylcatechol



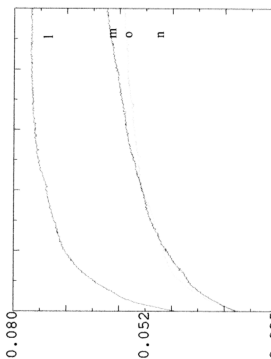
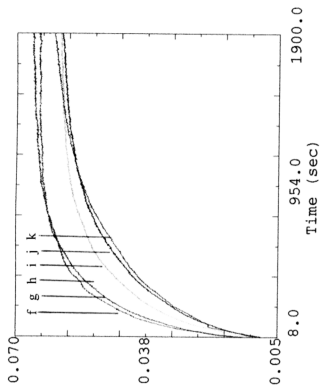
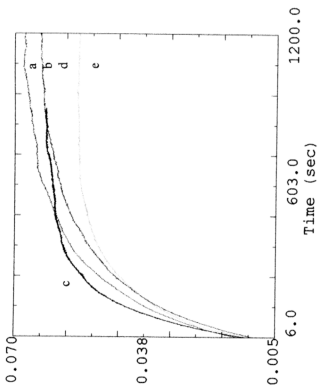
A b s .



A b s .

Autooxidation of 3,5-DTBC			
	Cat(C ₁₂ med)/cac/Cl /mM	SDS /mM	
a	0.50	1.98	
b	0.50	1.12	
c	0.50	0.22	
d	0.51	0.12	
e	0.50	--	

	Cat(C ₁₂ med)/cac/Cl /mM	SDS /mM	
f	0.52	2.03	
g	0.52	1.20	
h	0.53	0.23	
i	0.50	0.13	
j	0.50	--	

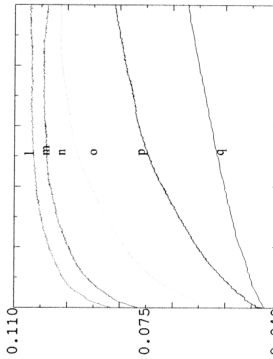
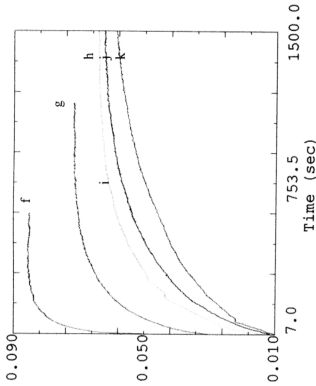
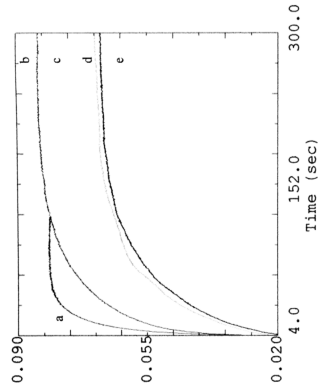


Autooxidation of 3,5-DTBC

	Cu(C ₂ H ₃ O ₂) ₂ /mM	CTAB /mM
a	0.50	1.99
b	0.50	1.17
c	0.50	0.49
d	0.50	0.21
e	0.51	0.12

	Cu(C ₂ H ₃ O ₂) ₂ /mM	CTAB /mM
f	0.51	1.99
g	0.54	1.15
h	0.53	0.51
i	0.52	0.22
j	0.51	0.13
k	0.50	-

	Cu(C ₂ H ₃ O ₂) ₂ /mM	CTAB /mM
l	0.50	1.18
m	0.51	0.51
n	0.51	0.22
o	0.52	0.14

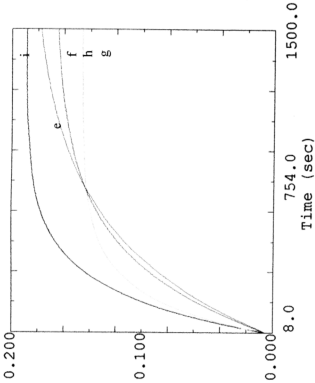


Autooxidation of 3,5-DTBC		
	$Cu(C_{12}H_{25}O_2)_2/K_2C_2O_4$ / mM	$C_{12}H_{25}O_2$ / mM
a	0.50	2.00
b	0.51	1.16
c	0.51	0.51
d	0.50	0.21
e	0.50	0.12

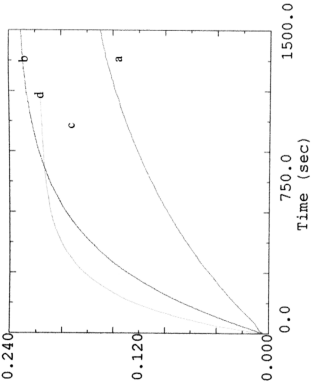
	$Cu(C_{12}H_{25}O_2)_2/K_2C_2O_4$ / mM	$C_{12}H_{25}O_2$ / mM
f	0.52	2.02
g	0.53	1.18
h	0.51	0.48
i	0.51	0.22
j	0.53	0.13
k	0.50	-

	$Cu(C_{12}H_{25}O_2)_2/Bz_2$ / mM	$C_{12}H_{25}O_2$ / mM
l	0.53	2.02
m	0.50	1.16
n	0.52	0.49
o	0.51	0.22

Appendix VI : Time Course Spectra of the hydrolysis of *p*-nitrophenyl diphenyl phosphate



A b s .

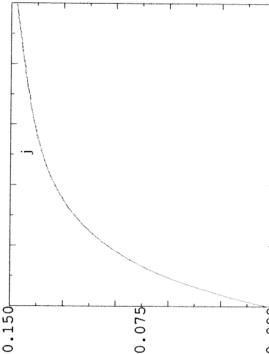


A b s .

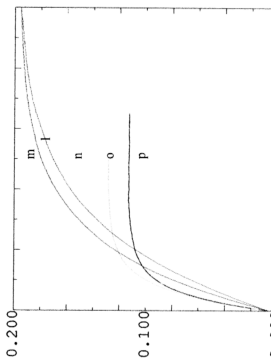
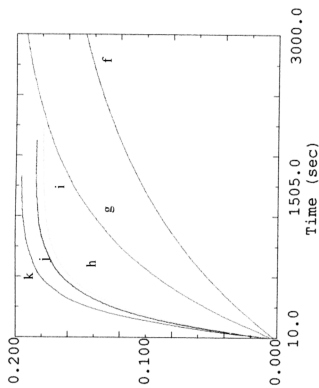
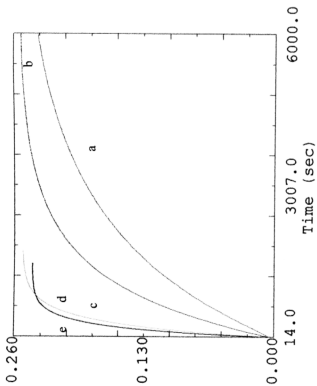
Hydrolysis of PNPDpp			
	Cat(C ₁₂ imide)/K ₂ Cr ₂ O ₇ / mM	SDS / mM	
a	0.99	4.09	
b	0.99	2.34	
c	1.03	0.46	
d	0.99	0.25	

	Cat(C ₁₂ imide)/K ₂ Cr ₂ O ₇ / mM	SDS / mM	
e	0.99	3.89	
f	0.99	2.37	
g	1.03	0.42	
h	1.03	0.26	
i	1.05	-	

	Cat(C ₁₂ imide)/Br ₂ / mM	SDS / mM	
j	1.01	4.06	



A b s .

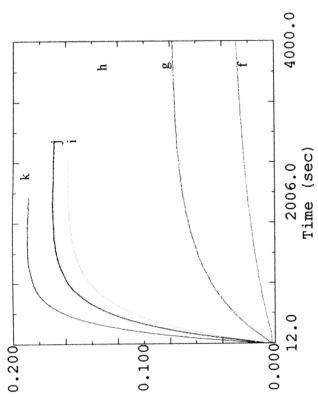


Hydrolysis of PNPdpp

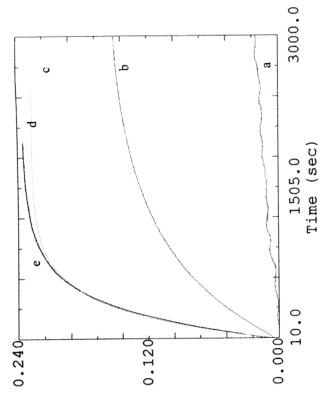
	$\text{Cu}(\text{C}_2\text{H}_3\text{O}_2)_2/\text{KAc}/\text{Cl}$ / mM	CTAB / mM
a	1.01	3.99
b	1.00	2.37
c	0.99	1.00
d	0.99	0.40
e	1.01	0.26

	$\text{Cu}(\text{C}_2\text{H}_3\text{O}_2)_2/\text{KAc}/\text{Cl}$ / mM	CTAB / mM
f	1.02	4.03
g	1.02	2.34
h	1.01	1.03
i	0.99	0.44
j	0.99	0.26
k	1.05	-

	$\text{Cu}(\text{C}_2\text{H}_3\text{O}_2)_2/\text{HBr}_2$ / mM	CTAB / mM
l	1.02	3.99
m	1.00	2.37
n	1.02	1.03
o	1.02	0.44



A b s .



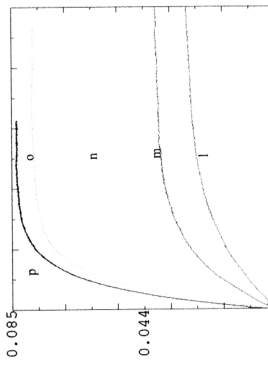
A b s .

Hydrolysis of PNPdpp

	$\text{Cu}(\text{C}_{12}\text{H}_{21}\text{O}_2)_2/\text{mM}$	Cu/Fe /mM
a	1.02	4.02
b	0.99	2.32
c	1.01	1.02
d	0.99	0.44
e	1.02	0.26

	$\text{Cu}(\text{C}_{12}\text{H}_{21}\text{O}_2)_2/\text{mM}$	Cu/Fe /mM
f	1.01	4.05
g	1.01	2.34
h	0.99	1.04
i	1.05	0.48
j	1.01	0.25
k	1.05	-

	$\text{Cu}(\text{C}_{12}\text{H}_{21}\text{O}_2)_2/\text{mM}$	Cu/Fe /mM
l	1.00	3.99
m	1.03	2.35
n	1.00	0.97
o	1.00	0.42



A b s .